Name: $\qquad$

| Quadratic Function 1 | Which one is the Odd One Out? | Why is it the Odd One Out? |
| :---: | :---: | :---: |
|  | - The roots of this equation are $(0,-4)$ and ( 5,0 ). <br> - The vertex of this quadratic function is $(2,-8)$. <br> - This graph has a $y$-intercept at $(0,-4)$. <br> - The range of this graph is $y \geq-8$. |  |



## Quadratic Function 3

The factored form of a quadratic function is :
$y=(x-4)(2 x-3)$

## Which one is the Odd

 One Out?Why is it the Odd One Out?

- The graph has a $y$-intercept at $(0,12)$.
- The domain of the function is all real numbers.
- The vertex of the graph is $(3,-4)$.

| Quadratic Function(s) 4 | Which one is the Odd <br> One Out? | Why is it the Odd <br> One Out? |
| :--- | :--- | :--- |
| Look at the equations below for two <br> quadratic functions. <br> Equation 1: $y=3(x-5)^{2}+1$ | - Equation 1 is a <br> reflection of Equation 2 <br> over the y- axis. |  |
| Equation 2: $y=3(x+5)^{2}+1$ | - Both equations have <br> minimum points that <br> fall on the line $y=1$. | Both graphs are shifted <br> to the right 5 units from <br> the parent function. |



| Quadratic Function 6 | Which one is the Odd <br> One Out? | Why is it the Odd <br> One Out? |
| :--- | :---: | :---: |
| The equation for a quadratic function is <br> shown below: <br> $6 x^{2}+9 x-6=0$ | -This function has <br> x-intercepts at $(-2,0)$ <br> and $\left(\frac{1}{2}, 0\right)$. <br> - This function has a <br> y-intercept of $(0,-8)$. |  |



